

Current experimental challenges in atmospheric boundary-layer research and their impact on parameterisations

*Joan Cuxart
University of the Balearic Islands
Palma (Majorca)*

Outline

1. Relating ABL experimental work and model parameterizations.
2. Surface Energy Budget and terrain heterogeneity
3. Subgrid variability: land uses and topography
4. Similarity theory
5. Concluding remarks

1. Relating ABL experimental work and model parameterizations.

Related to the surface energy budget and its closure in heterogeneous terrain:

- * Convenient surface boundary condition in models: closure of the surface energy budget.
- * Experimentally closure is not happening: best hope 10%, usual 20%, complex 40%.
- * Observed fluxes have large uncertainties.
- * Surface heterogeneities induce lateral transport.
- * If non-resolved, they should be considered in the SEB, especially if a residual method is used.

Related to surface variability:

- * Different land uses, topography (slopes, gentle topography, complex terrain) and presence of canopies.
- * It induces changes in data at small (subgrid) scales: a challenge for initialisation and validation.

Related to the similarity theory:

- * It is customarily applied at the first flux model level.
- * It was derived (60's-70's) using profiles of some tens of meters on seemingly homogeneous areas.
- * If high vertical resolution is used near the surface for non-homogeneous terrain, does ST still hold there?
- * Well-behaved stability functions are used for momentum and temperature, less clear for matter.

Surface Energy Budget: observations vs models

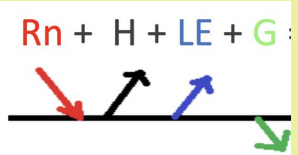
$$\frac{\partial T}{\partial t} + u \frac{\partial T}{\partial x} = - \frac{1}{\rho C_p} \frac{\partial Rn}{\partial z} - \frac{\overline{\partial w' T'}}{\partial z} - \frac{\partial G^*}{\partial z} + S^* + B^* + LE^* + Ot^*$$

$$Rn + H + LE + G = -TT - A + S + B + Ot = \text{Imb}$$

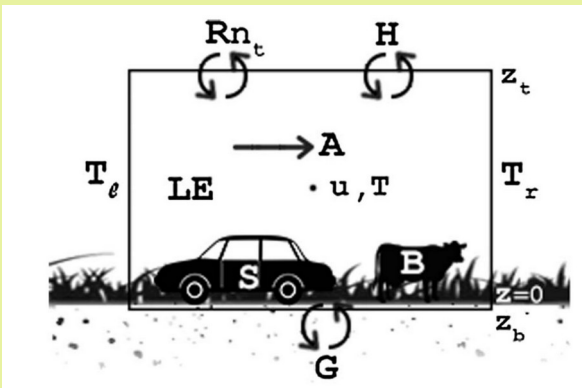


Model:
 layer of infinitesimal depth
 $S=B=0$,
 Small timestep $TT \sim 0$
 No instrumental uncertainty $Ot \sim 0$
 No subgrid variability $A=0$

$$Rn + H + LE + G = 0$$



Observations:



term of the energy balance equation	error in %	energy in $W m^{-2}$
latent heat flux LE (carefully corrected)	5-20	20-50
sensible heat flux H	10-20	15-30
net radiation Rn	10-20	50-100
ground heat flux G	50	25
storage term	?	?



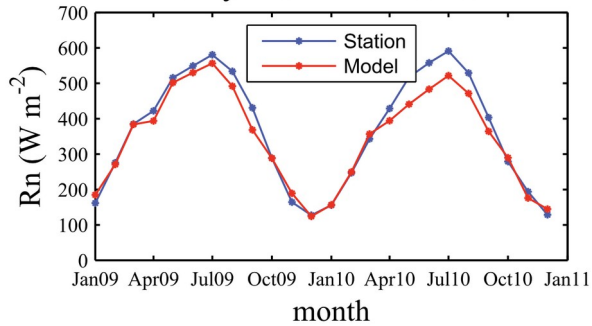
LIAISE semi-arid site

Observed SEB imbalance and model surface wrong representation:

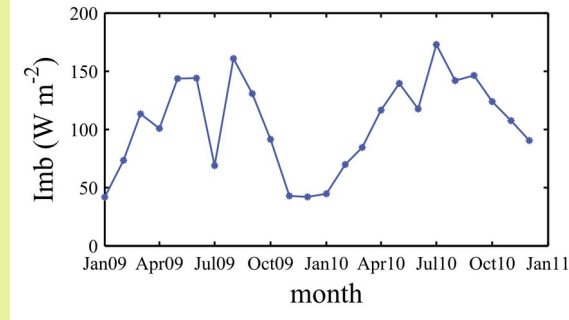
2 years of data (2009 & 2010) in a drip-irrigated vineyard in the Eastern Ebro valley. Monthly averages of the 12-15 UTC values of surface fluxes are compared to the corresponding ECMWF values.

Net Radiation

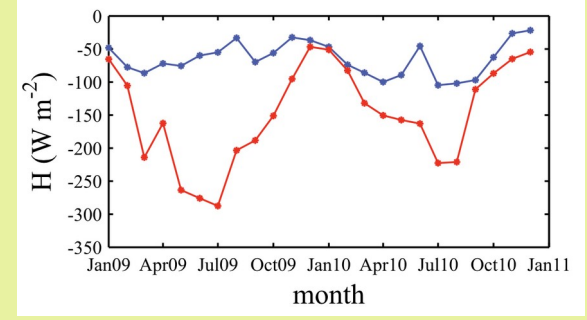
Day 1200-1500 UTC



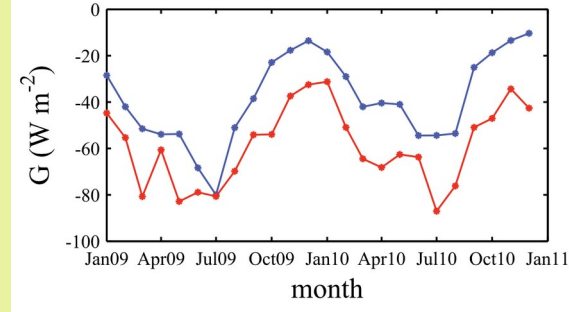
Imbalance



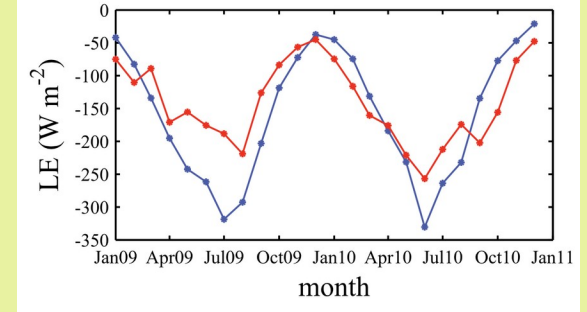
Sensible heat flux



Ground heat flux



Latent heat flux

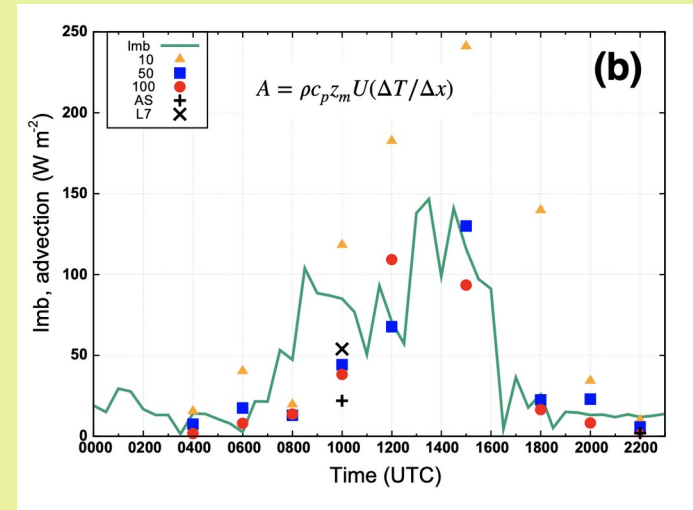
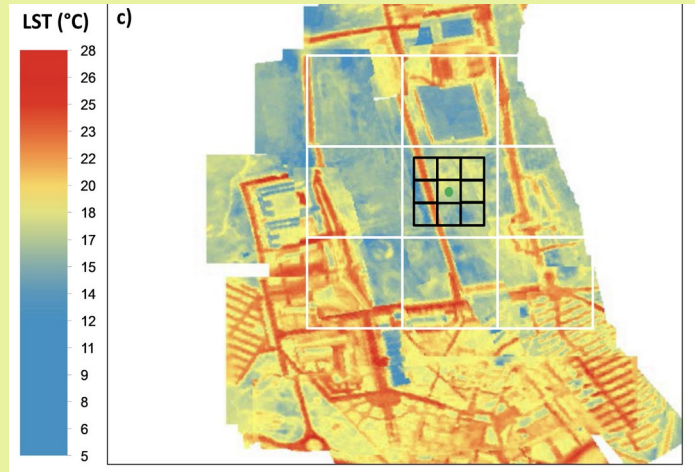
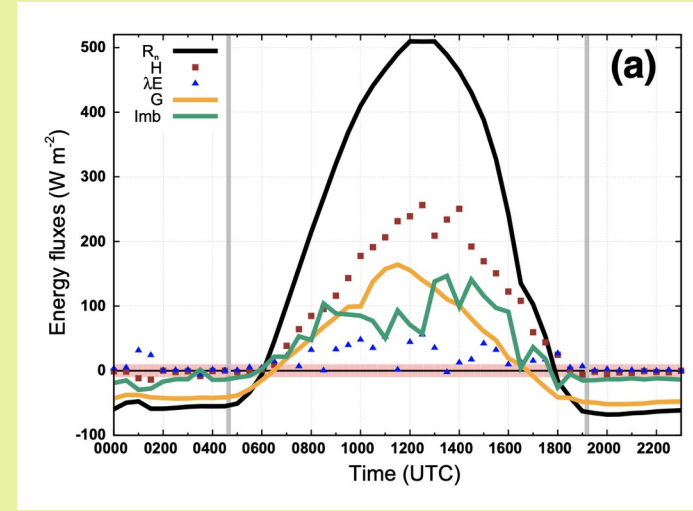
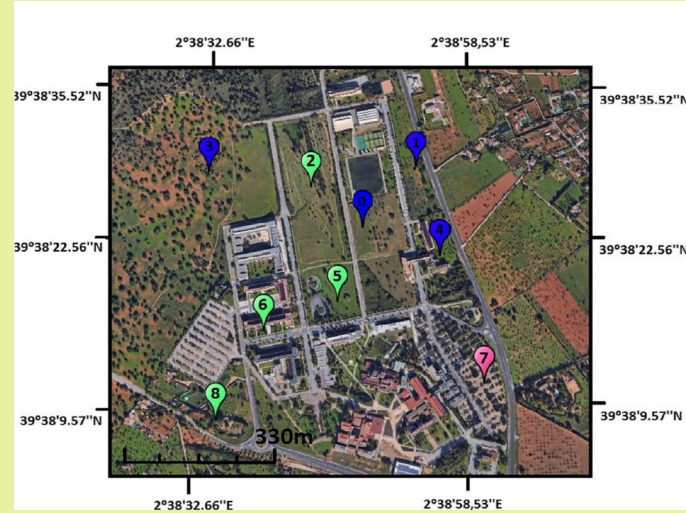


Hectometer-scale advection

The UIB Campus is flat, 1 km-wide, with buildings in between vegetated spaces.

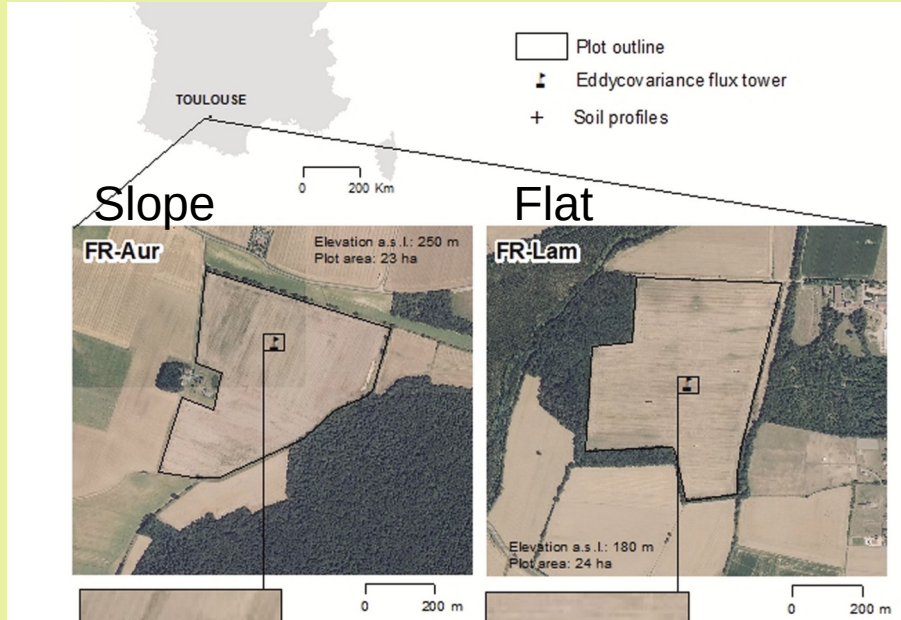
In 2016 a SEB station plus 9 gradient stations were deployed and a thermal camera was flown providing estimates of LST at the 10cm-scale.

It was seen that the daytime imbalance correlated well with hectometer-scale estimates of thermal advection.



Garcia-Santos et al, IEEE, 2018
Simó et al, JGR, 2019
Mauder et al, BLM. 2020

Hectometer-scale advection



Imb~10-20%

Imb~30-40%

$$A = \rho c_p z_m U (\Delta T / \Delta x)$$

O. Dare-Idowu et al.

Agricultural and Forest Meteorology 308-309 (2021) 1

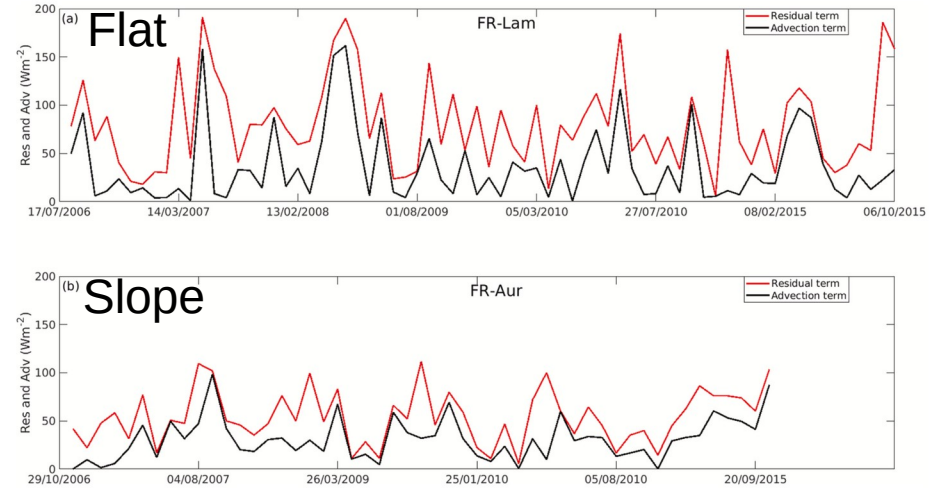


Fig. 10. Comparison of the residual energy with the order of magnitude of the estimated sensible heat advection term calculated in $W m^{-2}$ from 2006 to 2015 FR-Lam and (b) FR-Aur.

Series of A estimated with 138 landsat images between 2005 and 2015 compared to the corresponding values of SEB imbalance.

1. Relating ABL experimental work and model parameterizations.

Related to the surface energy budget and its closure in heterogeneous terrain:

- * Convenient surface boundary condition in models: closure of the surface energy budget.
- * Experimentally closure is not happening: best hope 10%, usual 20%, complex 40%.
- * Observed fluxes have large uncertainties.
- * Surface heterogeneities induce lateral transport.
- * If non-resolved, they should be considered in the SEB, especially if a residual method is used.

Related to surface variability:

- * **Different land uses, topography (slopes, gentle topography, complex terrain) and presence of canopies.**
- * **It induces changes in data at small (subgrid) scales: a challenge for initialisation and validation.**

Related to the similarity theory:

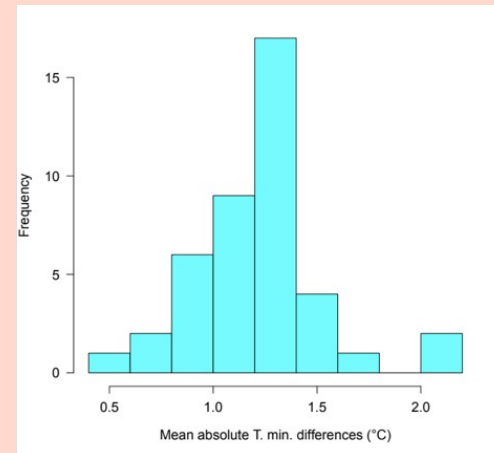
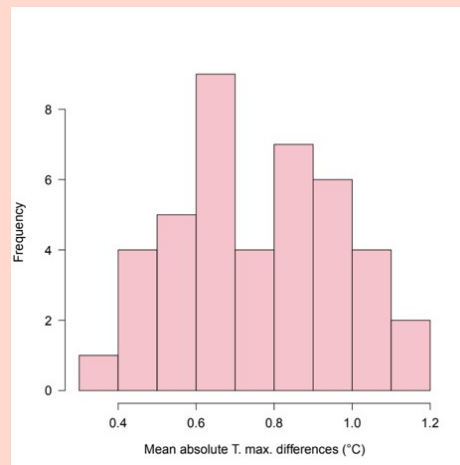
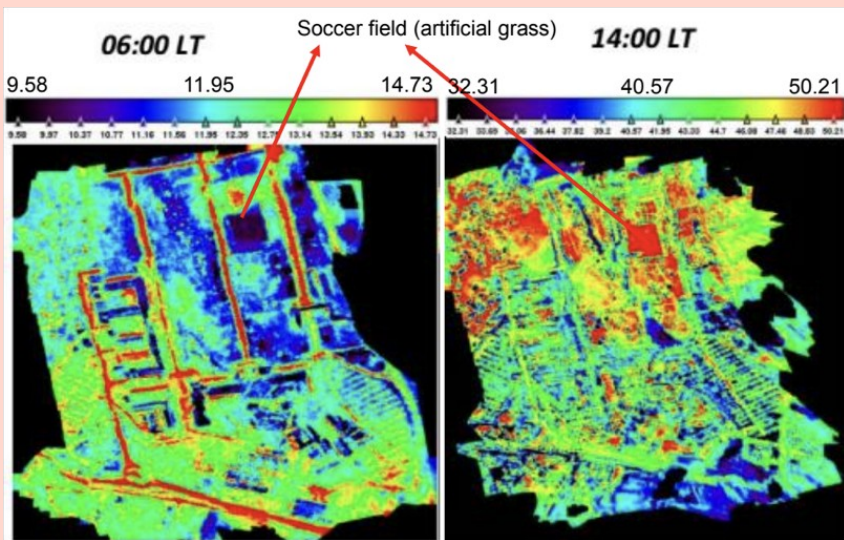
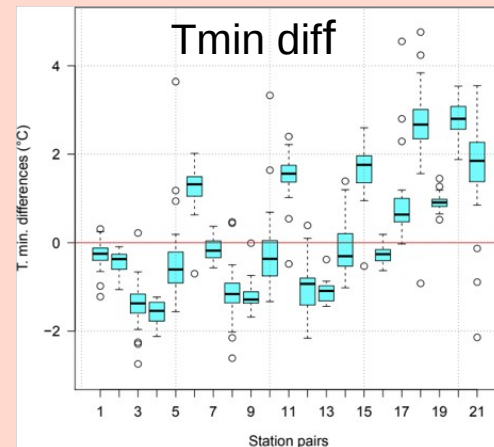
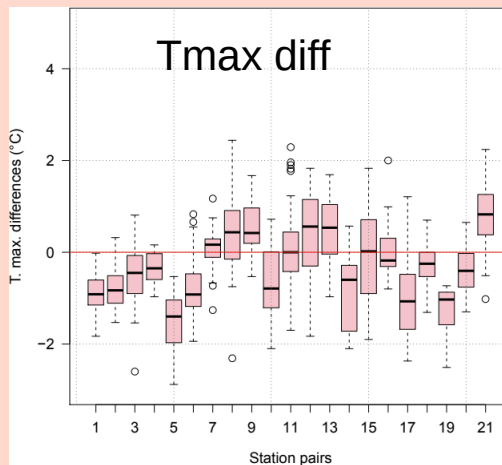
- * It is customarily applied at the first flux model level.
- * It was derived (60's-70's) using profiles of some tens of meters on seemingly homogeneous areas.
- * If high vertical resolution is used near the surface for non-homogeneous terrain, does ST still hold there?
- * Well-behaved stability functions are used for momentum and temperature, less clear for matter.

Variability in flat terrain



Stations differ in
*Microtopography ($\Delta h \sim 2m$)
*soil type and cover
*distance to obstacles

For station pairs



Variability in hilly terrain

Vertical profiles made with a multicopter UAS

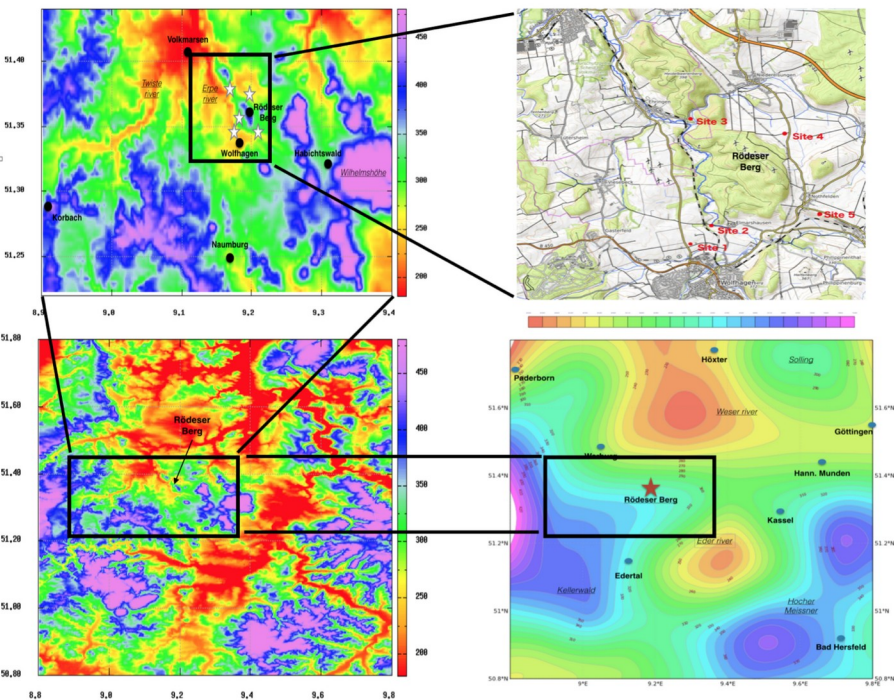
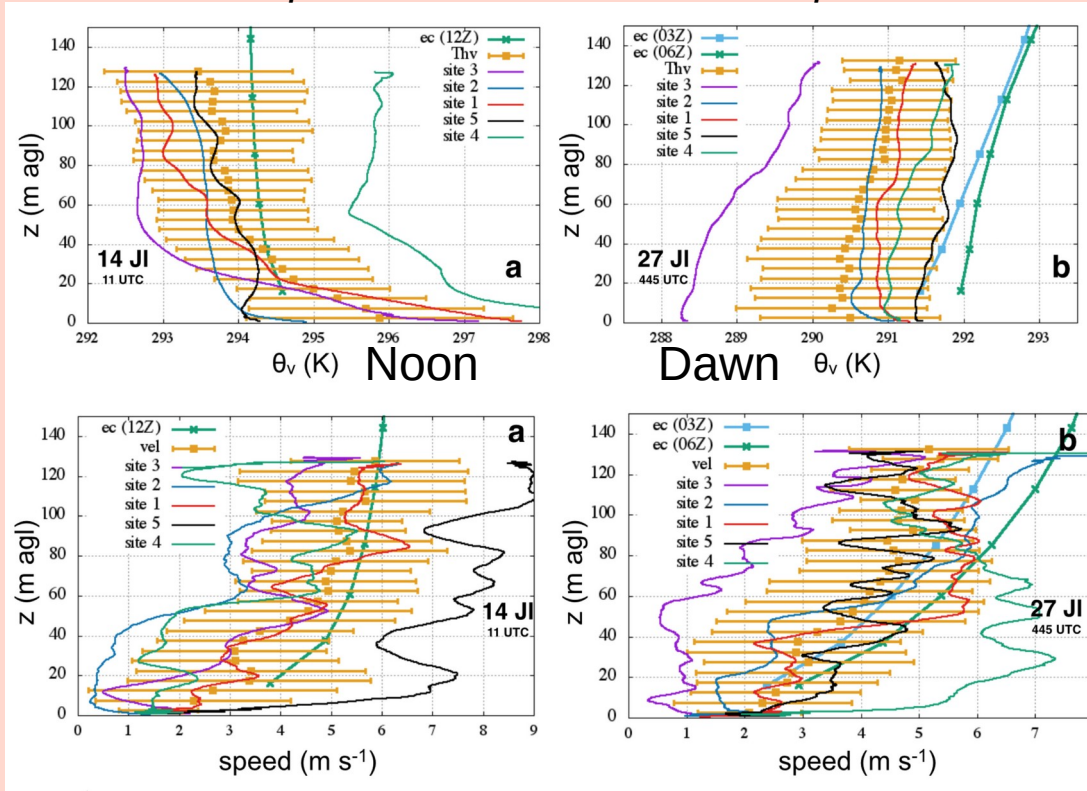


Figure 1. (Top left): topography of the area surrounding Rödeser Berg at a resolution of 90 m (approx. 35 km E–W × 25 km N–S); (top right): detailed topography and terrain uses at Rödeser Berg (6 km × 6 km), green represents woods; (bottom left): topography at a resolution of 90 m in a larger area (approx. 60 km E–W × 80 km N–S); (bottom right): the same but at a resolution of 9 km as seen by the European Centre for Medium-Range Weather Forecasts (ECMWF) model.



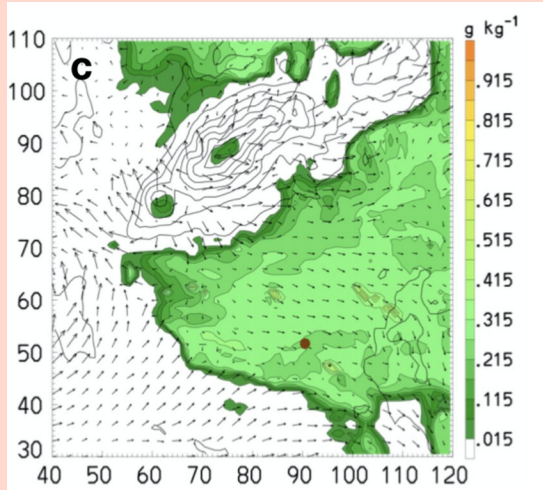
Stations differ in
*i) topography ($\Delta h \sim 100m$), ii) fields vs forests
 iii) position in respect to hill*

Case	s1-av	s2-av	s3-av	s4-av	s5-av	s1-ec	s2-ec	s3-ec	s4-ec	s5-ec	av-ec	
14 July	0.49	0.66	1.04	0.37	1.99	0.89	0.78	1.36	0.46	1.80	0.42	K
	0.66	2.18	1.51	1.32	3.02	0.84	2.85	1.94	1.88	2.60	0.79	$m s^{-1}$
27 July	0.36	0.17	1.59	0.63	1.03	1.10	1.37	3.00	0.79	0.42	1.42	K
	1.01	1.20	2.15	2.39	0.94	0.96	0.88	3.18	1.93	1.69	1.19	$m s^{-1}$

Noon

Dawn

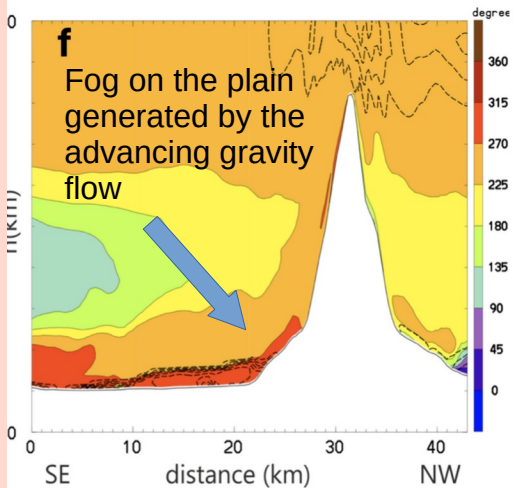
Slope flows



Medvenica mountain over the Sava plain by Zagreb.

900m drop in 10 km.

Interaction with valley flows and thermal inversion



slope flow
 ↓
 speed increases
 ↓
 more turbulence

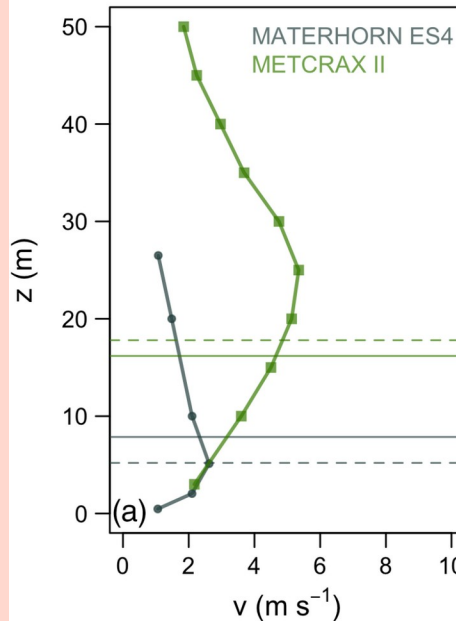
Simple relation between angle, speed and heat flux
 (assuming depth of the slope flow is the depth of turbulence)

$$\frac{d\theta}{dt} = \frac{\partial\theta}{\partial t} + v \frac{\partial\theta}{\partial x'} + w \frac{\partial\theta}{\partial z'} = -\frac{1}{\rho_0 C_p} \frac{\partial Q^*}{\partial z'} - \frac{\partial H}{\partial z'}$$



$$D_{\max} = \frac{-H}{v \sin(\alpha) \frac{d\theta}{dz}}$$

Compression warming~surface cooling → not appropriate for steep slopes



Horizontal lines indicate the diagnostic length scale D_{\max} (solid) and SBL height h_{Rig} (dashed)

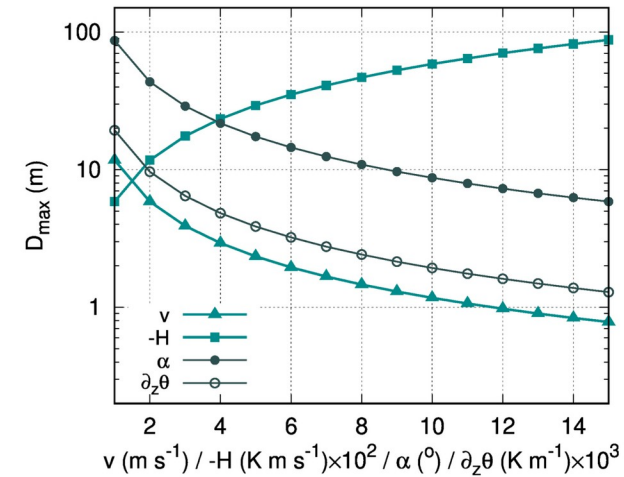
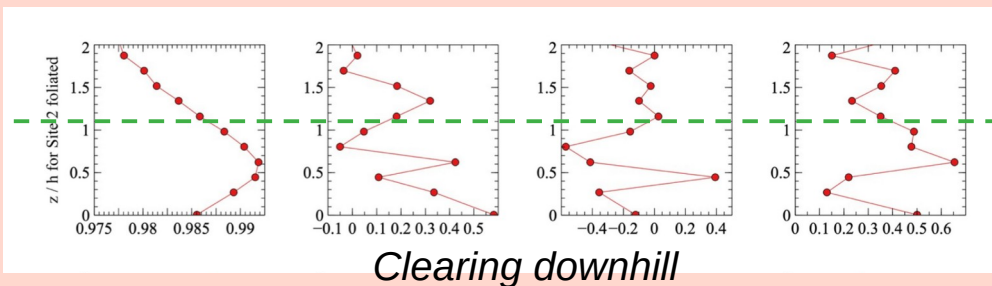
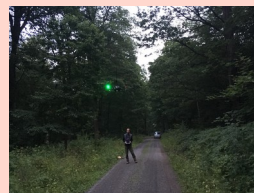
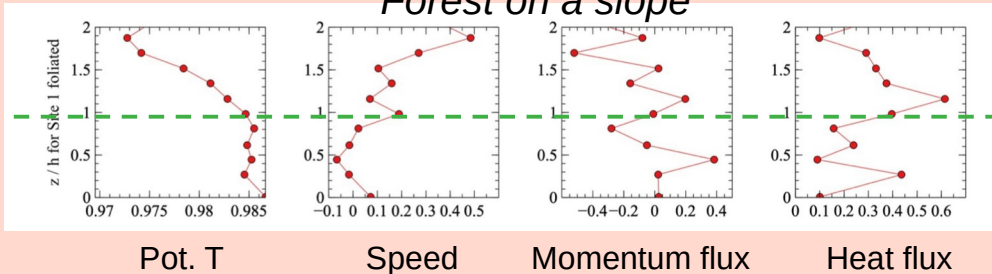


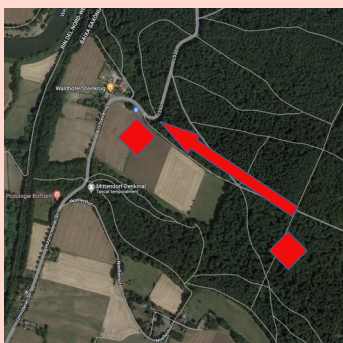
FIGURE 1 Variation of the depth of the downslope flow (D_{\max}) allowing only one variable to change. The values for the variables when fixed are $v = 2 \text{ m}\cdot\text{s}^{-1}$, $H = -0.01 \text{ K}\cdot\text{m}\cdot\text{s}^{-1}$, $\partial_z\theta = 0.0033 \text{ K}\cdot\text{m}^{-1}$ and $\alpha = 15^\circ$

Forest canopy

Forest on a slope



Evening transition: average of 3 ascending flights for 3 different days

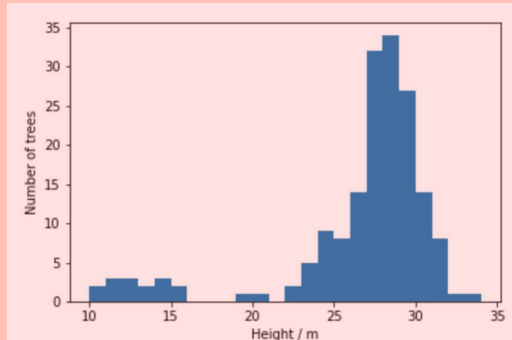


600m

Slope flow in the lowest 10 m
Elevated porous floor at 30 m
Inverted stability in the canopy

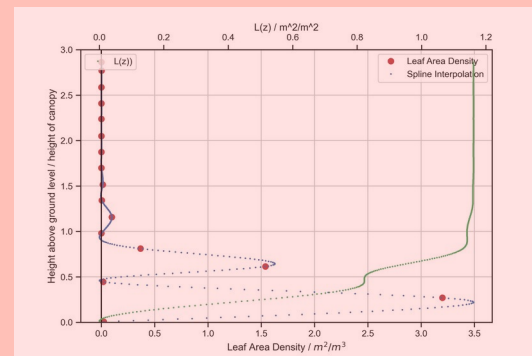
Where would the vertical levels of a model be?
Prescription of $L(z)$ would be needed.

Model of forest by inspection



$L(z)$ profile from UAS data

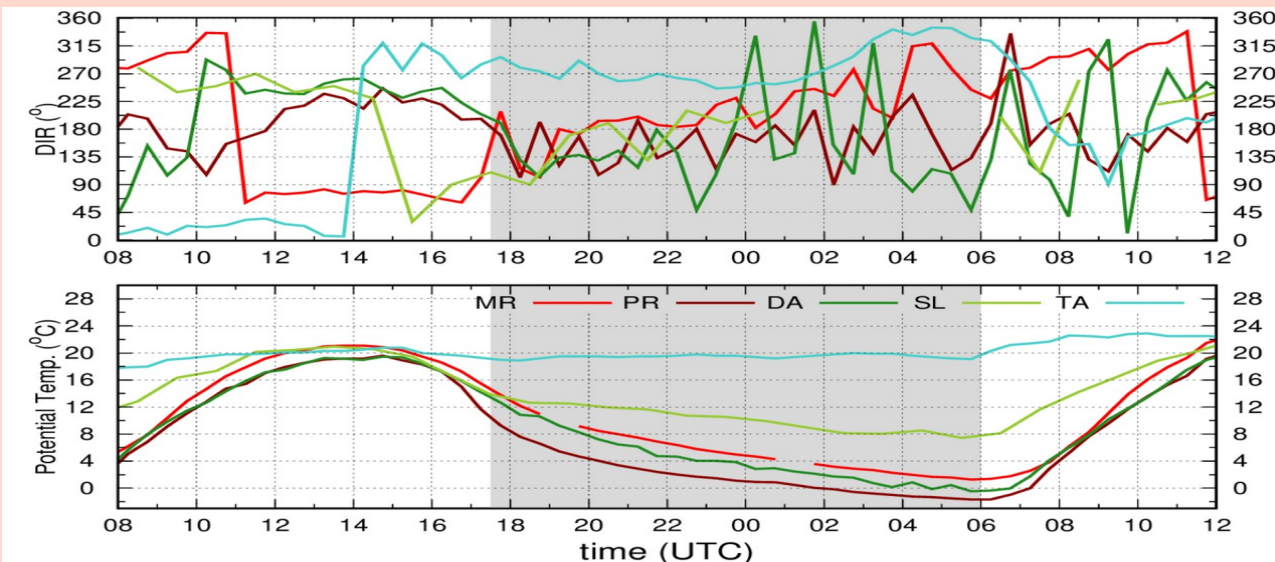
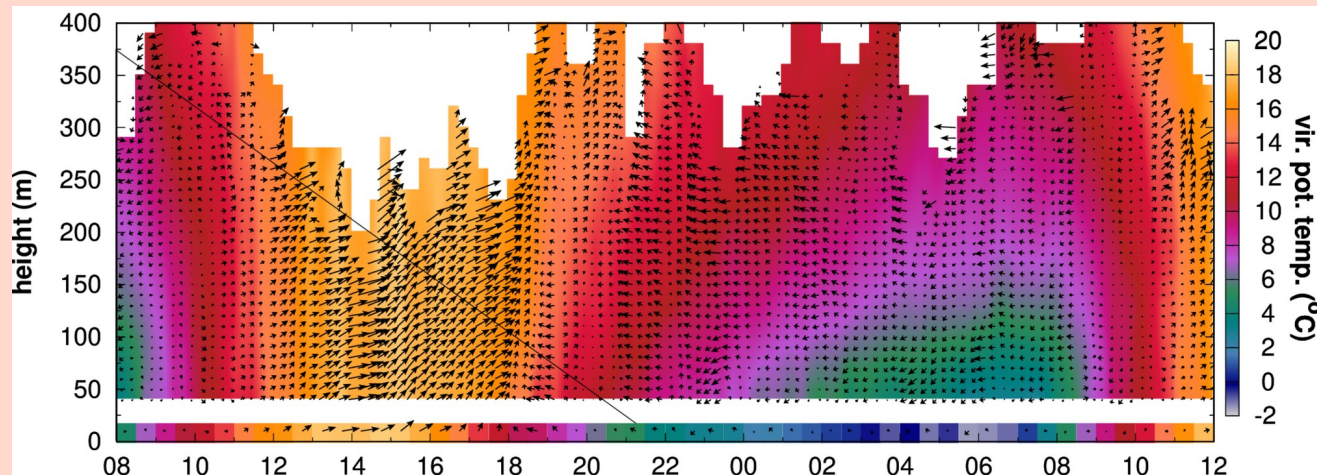
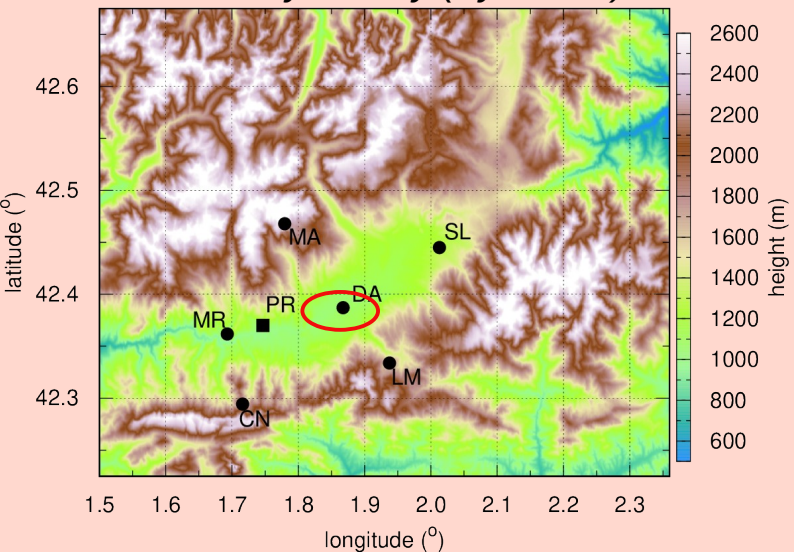
$$\frac{-\overline{du'w'}(z)}{dz} + a(z)\overline{u'w'}(z) = 0$$



Wrenger & Cuxart, 2023 (in prep)

Rough topography

Cerdanya valley (Pyrenees)



General features (valley flows, thermal inversion) well seen by profiler above the surface layer, not in it.

Stations at the valley bottom may differ up to 8 K in T_{min} depending on their position respect to the surrounding topography.

1. Relating ABL experimental work and model parameterizations.

Related to the surface energy budget and its closure in heterogeneous terrain:

- * Convenient surface boundary condition in models: closure of the surface energy budget.
- * Experimentally closure is not happening: best hope 10%, usual 20%, complex 40%.
- * Observed fluxes have large uncertainties.
- * Surface heterogeneities induce lateral transport.
- * If non-resolved, they should be considered in the SEB, especially if a residual method is used.

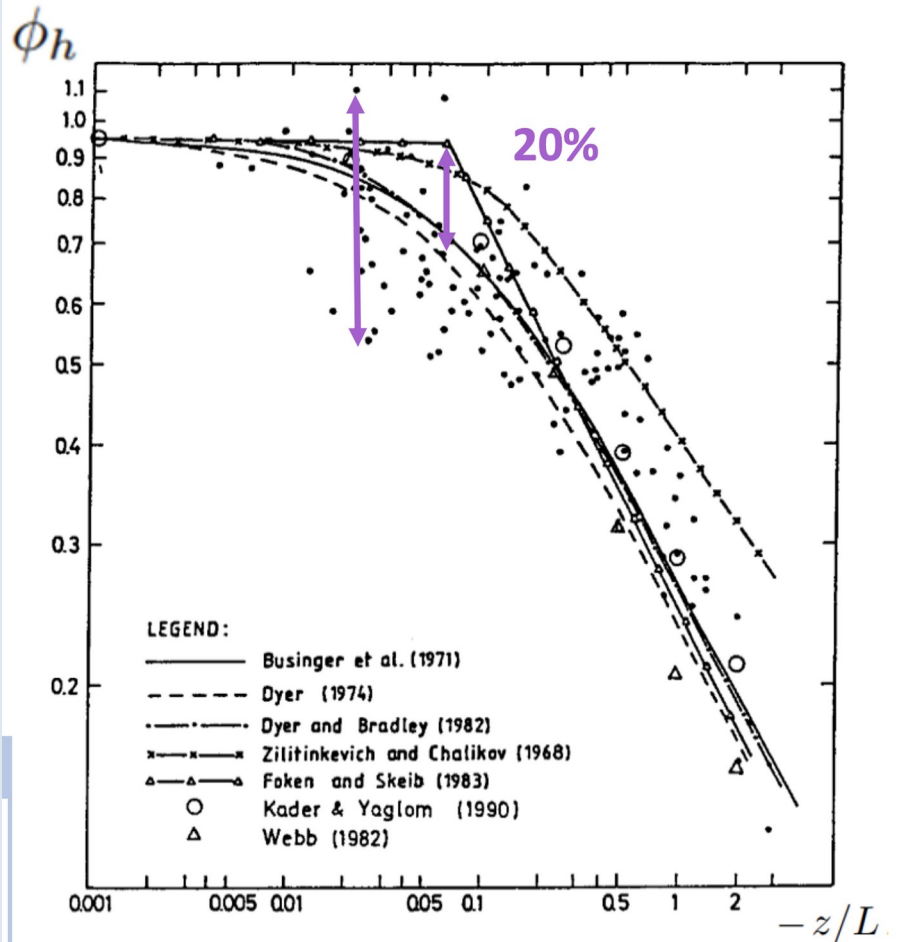
Related to surface variability:

- * Different land uses, topography (slopes, gentle topography, complex terrain) and presence of canopies.
- * It induces changes in data at small (subgrid) scales: a challenge for initialisation and validation.

Related to the similarity theory:

- * It is customarily applied at the first flux model level.
- * It was derived (60's-70's) using profiles of some tens of meters on seemingly homogeneous areas.
- * If high vertical resolution is used near the surface for non-homogeneous terrain, does ST still hold there?
- * Well-behaved stability functions are used for momentum and temperature, less clear for matter.

MOST: uncertainties of the method



$$\sqrt{\frac{\tau}{\rho}} = u_* = \frac{\kappa z}{\phi_m} \frac{\partial \bar{u}}{\partial z},$$

$$\frac{H}{\rho c_p} = (\overline{w'\theta'_v})_0 = -\frac{\kappa u_* z}{\phi_h} \frac{\partial \bar{\theta}_v}{\partial z},$$

$$\frac{LE}{\rho L_v} = (\overline{w'q'})_0 = -\frac{\kappa u_* z}{\phi_q} \frac{\partial \bar{q}}{\partial z},$$

$\Phi_x = f(u^*, H)$ through z/L
(iterative process)

$\Phi_x = f(Ri)$, non iterative, tunable

Lower Boundary Condition:

*roughness length

Or

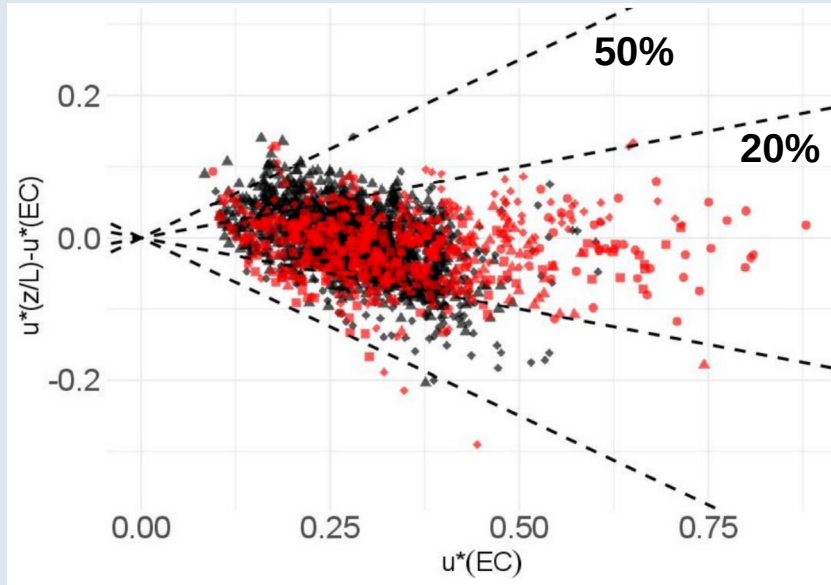
*2 levels close to the surface

* Z_0 imposed based on the characteristics of the surface elements

* Z_{0T} , Z_{0q} difficult to define (tunable)

T, q (and perhaps wind) at ~ 0.4 m
How to do this is in numerical models?

MOST: momentum flux very close to the surface in complex terrain



u^* estimated with wind at 2m and a given value of z_0 .

$$u_* = \frac{\kappa z}{\phi_m} \frac{\partial \bar{u}}{\partial z}$$

Most values have errors within the inherent uncertainty of the method.

Tested for three flat locations surrounded by significant topography.

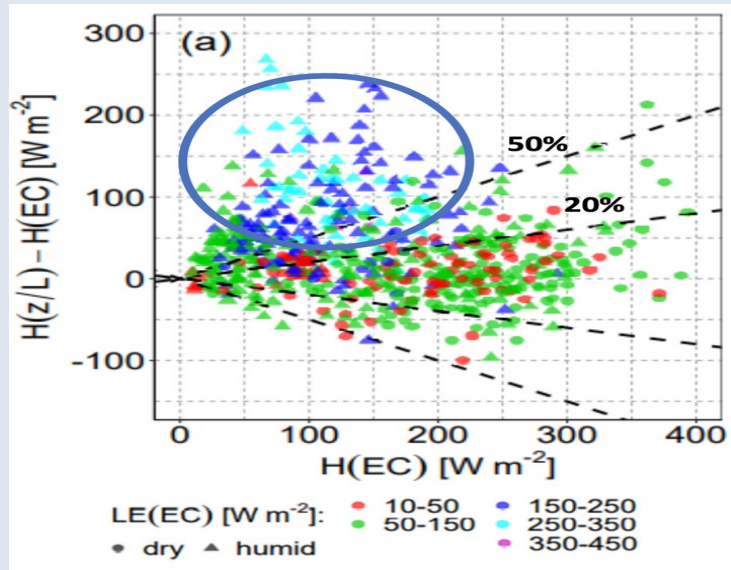
One level vs two levels of wind

ECUIB	ME	SDD	$P_{20\%}$	$P_{50\%}$
$u_* \text{ short}$	-0.012	0.048	75.21	98.49
$u_* \text{ 2lev}$	0.009	0.058	64.28	96.14

- Two levels are almost as good at the 50% range or relative error and do not need the z_0 parameter



MOST: Sensible heat flux using two levels of T



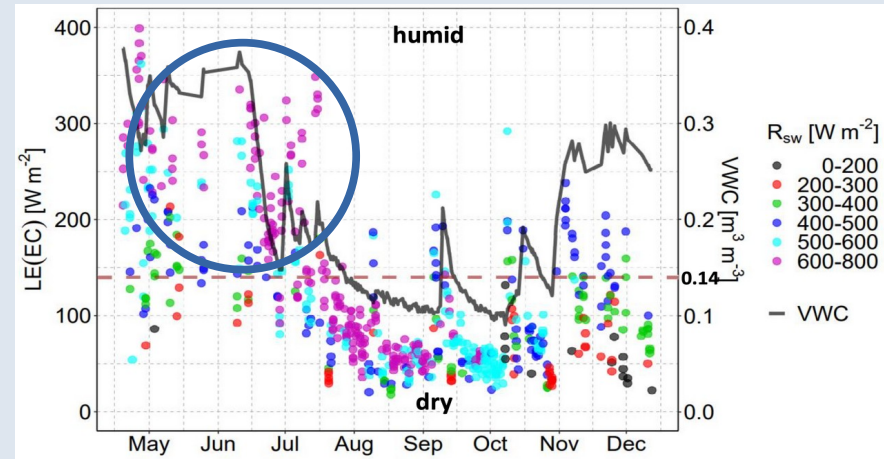
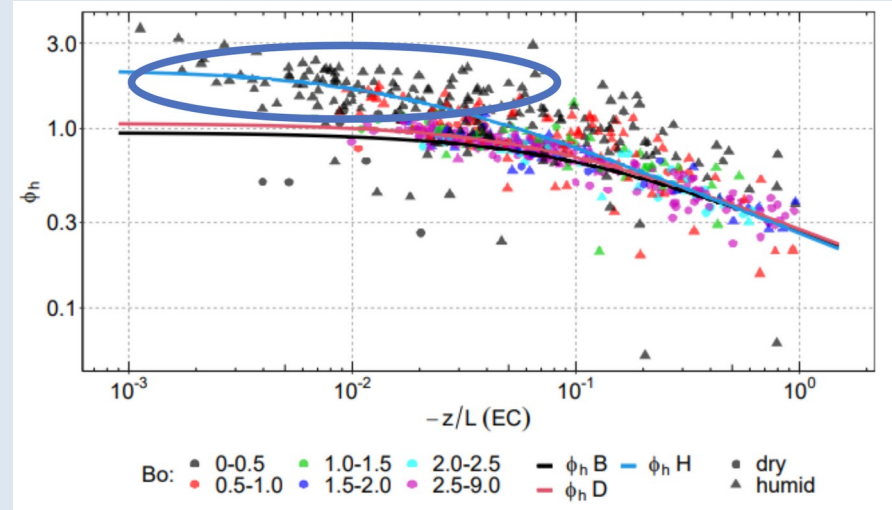
H is estimated with temperature values at 2 m and 0.4 m.

As for u^* , most values have errors within the inherent uncertainty of the method (20%).

The exception is found when high values of ET and high solar radiation take place. This configuration requires a modified stability function.

This result has been found also in the ECUIB at Mallorca.

Data in a pre-Pyrenean valley (ALEX campaign)

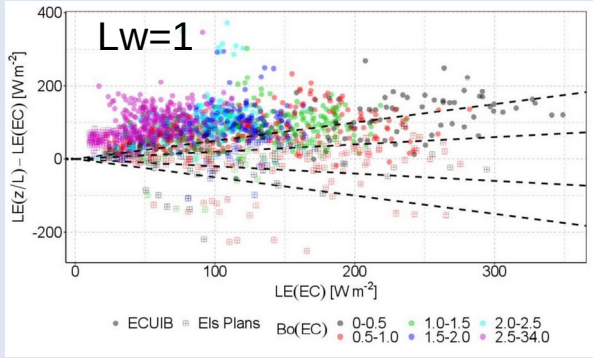


MOST: Latent heat flux using two levels of q

$\phi_h \stackrel{?}{=} \phi_q \rightarrow K_h = K_q$

Bowen ratio $Bo = \frac{H}{LE}$

$Lw = \frac{K_h}{K_q} = \frac{\phi_q}{\phi_h}$

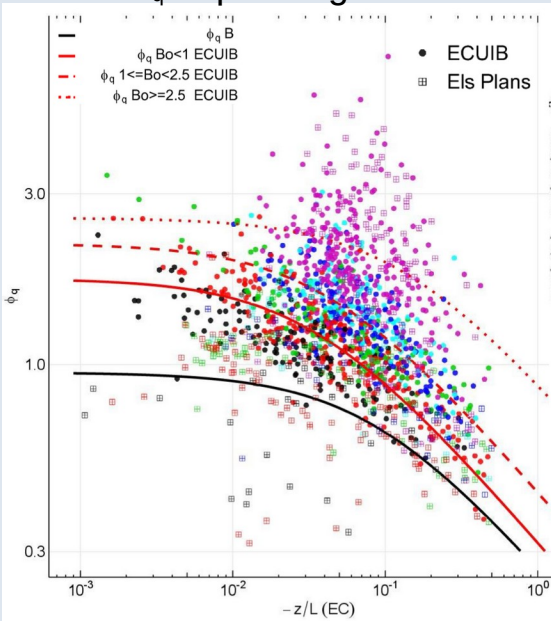


The hypothesis $K_h=K_q$ is not fulfilled in our data bases in a general manner.

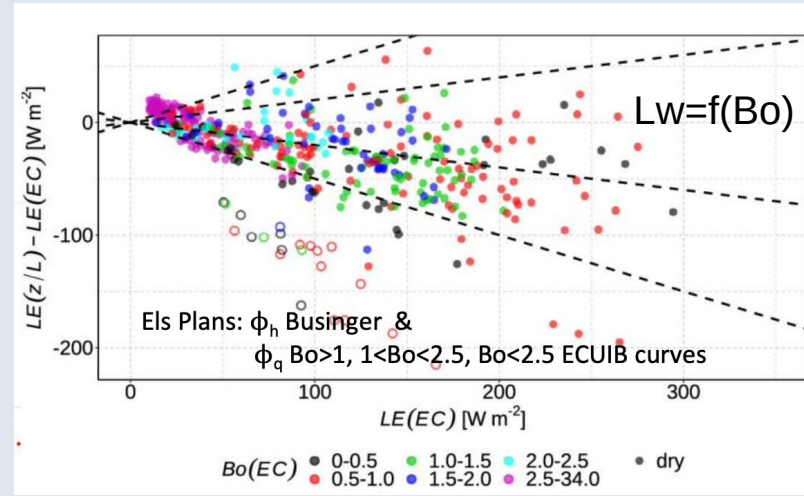
Arid conditions: $adv(q) \sim E$

$$\frac{\partial q}{\partial t} = -u \frac{\partial q}{\partial x} - w \frac{\partial q}{\partial z} + E + \text{Other}$$

Test Φ_q depending on Bo



Testing $\Phi_q(Bo)$ over an independent database



Bo	$Bo < 1$	$1 \leq Bo < 2.5$	$Bo \geq 2.5$
Lw lin Els Plans	1.21-1.39	1.39-1.66	1.66-7.24
Lw lin ECUIB	0.82-1.24	1.24-1.87	1.87-6.73

Simó et al, JGR, 2019;
Martí et al, 2023 (in prep)

Concluding remarks

On the SEB:

- * direct comparison of experimental and models values must be made with care
- * subgrid surface variability induces motions involving significant energy exchanges

On surface variability:

- * at the hectometer scale, different land uses may induce T changes of the order of 1 K
- * on hilly terrain, at the km scale, differences can be large for wind and T
- * slope flows provide more organized structures and lesser effect of the small-scale features
- * tall canopies need the prescription of $L(z)$, perhaps a physiographic field.
- * the position relative to nearby important topographical features results in very large differences.

On similarity theory (daytime, using two observed levels of T and q):

- * expressions for u^* and H work well with data taken at 2m.
- * in the case of large LE and insolation, H seems to need a different stability function.
- * $K_h \neq K_q$, the mixing efficiency of water diminishes as the surface becomes drier.
- * over dry soils, local advection may be playing an important role.